

# Turbulent Flows

Stephen B. Pope

*Cambridge University Press, 2000*

©Stephen B. Pope 2000

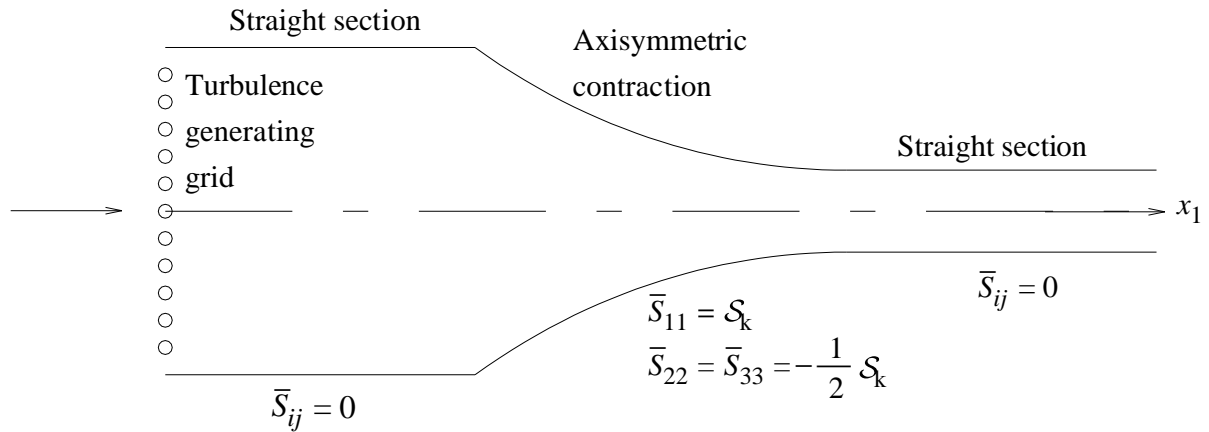


Figure 10.1: Sketch of an apparatus, similar to that used by Uberoi (1956) and Tucker (1970) to study the effect of axisymmetric mean straining on grid turbulence.

# Turbulent Flows

Stephen B. Pope

*Cambridge University Press, 2000*

©Stephen B. Pope 2000

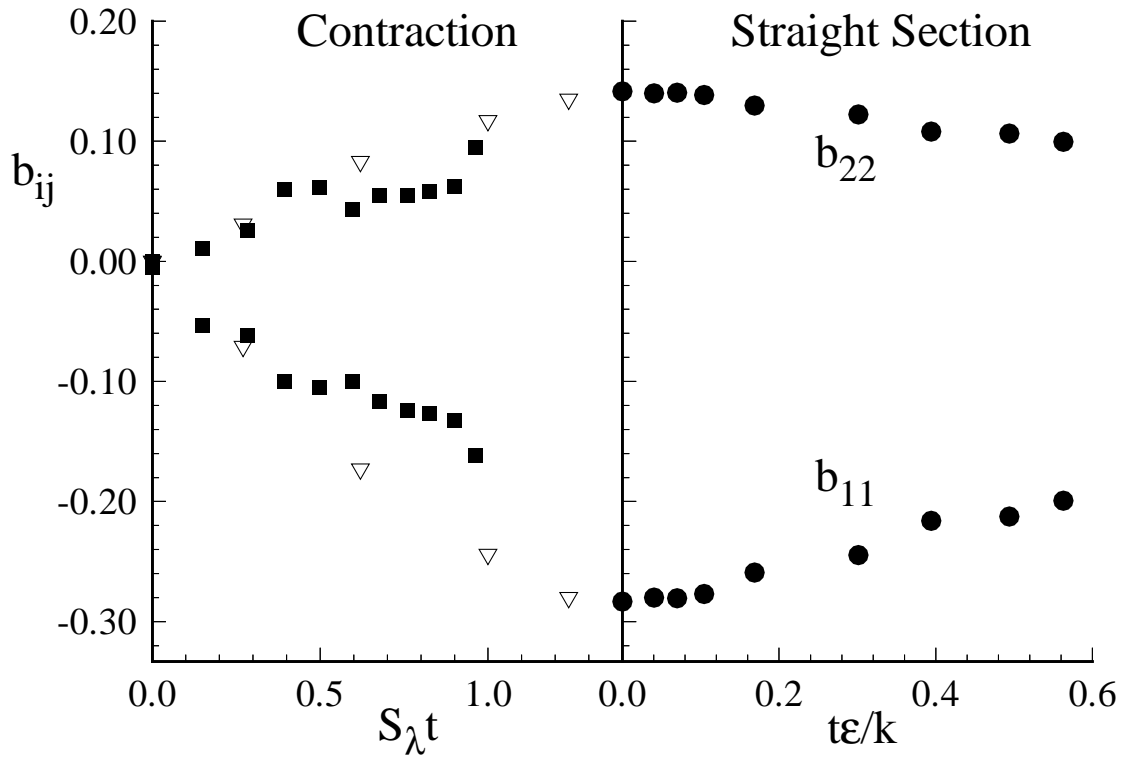


Figure 10.2: Reynolds-stress anisotropies during and after axisymmetric straining. Contraction: experimental data of Tucker (1970),  $\mathcal{S}_\lambda k/\epsilon = 2.1$ ;  $\nabla$  DNS data of Lee and Reynolds (1985),  $\mathcal{S}_\lambda k/\epsilon = 55.7$ ; flight time  $t$  from the beginning of the contraction is normalized by the mean strain rate  $\mathcal{S}_\lambda$ . Straight section: experimental data of Warhaft (1980); flight time from the beginning of the straight section is normalized by the turbulent timescale there.

# Turbulent Flows

Stephen B. Pope

*Cambridge University Press, 2000*

©Stephen B. Pope 2000

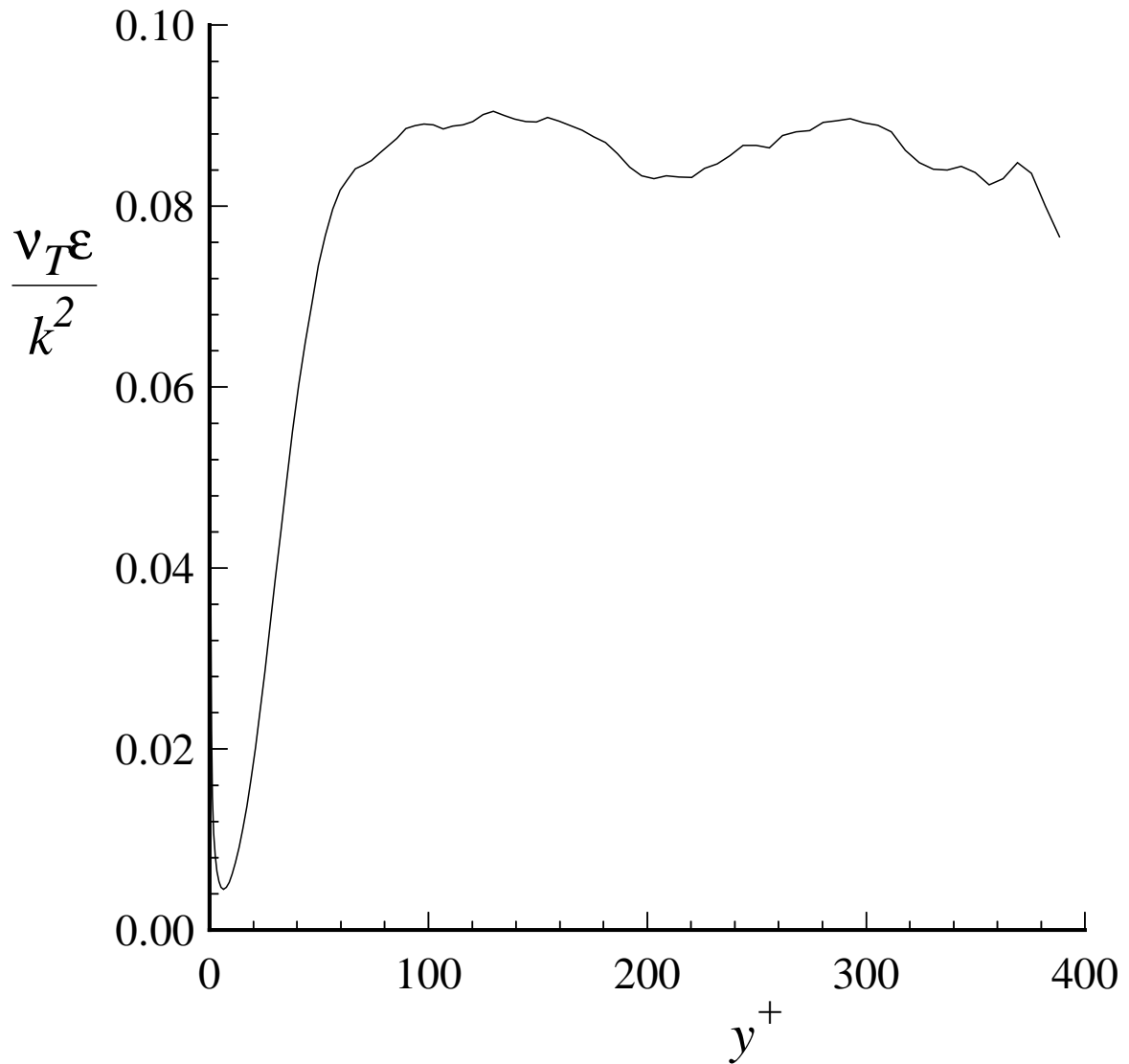


Figure 10.3: Profile of  $\nu_T \epsilon / k^2$  (see Eq. 10.39) from DNS of channel flow at  $Re = 13,750$  (Kim *et al.* (1987)).

# Turbulent Flows

Stephen B. Pope

*Cambridge University Press, 2000*

©Stephen B. Pope 2000

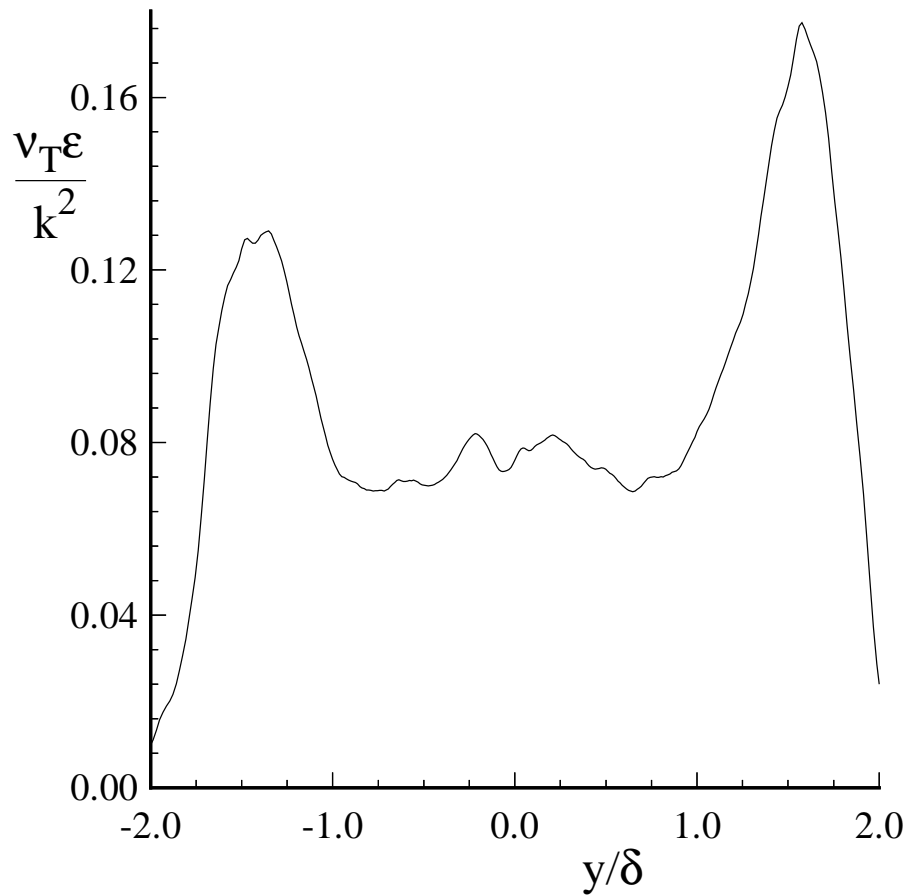


Figure 10.4: Profile of  $\nu_T \epsilon / k^2$  (see Eq. 10.39) from DNS of the temporal mixing layer (from data of Rogers and Moser 1994).